The Theoretical Minimum Classical Mechanics - Solutions I01E02

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Exercise 1. Work out the rule for vector subtraction.

This exercise is about getting a (visual) feel for vector manipulation; it is *not* about vector coordinates manipulation. We were previously taught how to multiple vectors by a negative scalar:

For example, $-2\vec{r}$ is the vector that is twice as long as \vec{r} , but points in the opposite direction.

And how to add vectors:

To add \vec{A} and \vec{B} , place them as shown in Figure 13 to form a quadrilateral (this way the directions of the vectors are preserved). The sum of the vectors is the length and angle of the diagonal

So, by observing that (we'll use a **bold** font to denote vectors instead of arrows, e.g. v is a vector):

$$\boldsymbol{u} - \boldsymbol{v} = \boldsymbol{u} + (-1\boldsymbol{v})$$

We conclude that we first need to reverse the direction of the vector to be subtracted, and add this to the other vector. Visually:

